Granular mortality modeling with temperature and epidemic shocks: a three-state regime-switching approach

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- External shocks, such as severe heat waves and epidemics, can lead to deviations from these expected seasonal patterns known as excess mortality (Iuliano et al. 2018, Nielsen et al. 2011).
- Various methodologies have been proposed:
 - Distributed Lag (Non-Linear) Models, e.g., Schwartz (2000), Gasparrini et al. (2010) and Guibert et al. (2024),
 - Extreme value analysis, e.g., bivariate POT approach in Li & Tang (2022).
 - Machine learning methods, e.g., gradient boosting for the association temperature-mortality, e.g. Robben et al. (2024).
 - Jump processes for pandemics, e.g., Cox et al. (2006), Chen & Cox (2009).

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- 2. Use of several data sources to identify environmental and epidemic shocks:
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 - Epidemic data from the French Sentinelles network (influenza anomalies).
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- 3. Quantify the different sources of uncertainty around the model's estimates and forecasts, and analyze in-sample and out-of-sample performance.
- 4. Short-term mortality forecasting based on temperature (RCP 2.6, RCP 4.5, and RCP 8.5 pathways) and influenza scenarios based on a SIRS model.

Data sources

Death counts

Eurostat: deaths by week, sex, 5-year age group and NUTS 2 region from France throughout the years 2013-2024 (21 regions).

Focus on the age groups $65-69, \ldots, 90+$.



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Focus on the age groups $65-69, \ldots, 90+$. Seasonal trend:



FR10 FRH0

Weekly death counts

French NUTS 2 regions



Weather data

E-OBS land-only, gridded meteorological data for Europe from the Copernicus Climate Data Store.

Daily, high-resolution gridded dataset, defined on a grid with spatial resolution of 0.10° (≈ 11 km).

50°N 48°N 46°N 44°N 42°N 5°W 5°E Lona

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To align with the NUTS 2-level mortality data: \Rightarrow Construction of population-weighted daily temperature averages by using gridded population.

To align with the weekly time scale: hot- and cold-week index (frequency of hot/cold days) and weekly average of daily temperature anomalies (severity of hot/cold days).

Average temperature: 2022-08-02



Epidemic data: Influenza and COVID-19 hospitalizations

French Sentinelles Network: weekly influenza data from 1300 general practioners. Santé Publique France: weekly COVID-19 hospitalizations.



Region — FR10 — FRH0 — FRL0

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Model specification and calibration

Model specification

We propose a three-state regime-switching model:

- State 0 (Baseline state) : Weekly, region-specific and age-specific baseline mortality.
- State 1 (Environmental shock state) : Deviations due to extreme temperatures.
- State 2 (Respiratory shock state) : Deviations due to influenza and COVID-19.



Weekly, region- and age-specific baseline mortality model

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Incorporate seasonality through Fourier terms:

$$\begin{split} D_{x,t}^{(r)} &\sim \mathsf{Poisson}\left(E_{x,t}^{(r)} \; \mu_{x,t}^{(r)}\right),\\ \log \mu_{x,t}^{(r)} &= \gamma_{x,0}^{(r)} + \gamma_{x,1}^{(r)} t + \gamma_{x,2}^{(r)} \sin\left(\frac{2\pi w(t)}{52.18}\right) + \gamma_{x,3}^{(r)} \cos\left(\frac{2\pi w(t)}{52.18}\right) + \\ &\qquad \gamma_{x,4}^{(r)} \sin\left(\frac{2\pi w(t)}{26.09}\right) + \gamma_{x,5}^{(r)} \cos\left(\frac{2\pi w(t)}{26.09}\right), \end{split}$$



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Fit one Poisson GLM jointly on all regions, and add a penalty term to obtain smooth variations in the estimated $\gamma_{x,p} = (\gamma_{x,p}^{(r)})_{r \in \mathcal{R}}$ across neighbouring regions.



Modelling mortality deviations from the baseline

Explain observed deviations from the baseline deaths using region-specific environmental and epidemiological features:

$$\hat{b}_{x,t}^{(r)} := \hat{E}\left[D_{x,t}^{(r)}\right] = E_{x,t}^{(r)} \,\hat{\mu}_{x,t}^{(r)},$$

Death counts are modeled for i=0,1,2 by

$$D_{x,t}^{(r)} \mid S_t^{(r)} = i \sim \mathsf{POI}\left(\hat{b}_{x,t}^{(r)} \cdot \exp\left[\left(\boldsymbol{z}_t^{(r)}\right)^\top \boldsymbol{\alpha}_{i,x}\right]\right),$$

where

- $S_t^{(r)}$ is a region- and time-dependent Markov chain.
- Region- and time-dependent covariate vector $z_t^{(r)}$, with state- and age-specific $\alpha_{i,x}$. Motivation: Extreme temperatures can have a larger impact on people aged 90+ compared to those aged 65-69.

Modelling mortality deviations from the baseline

Transition probabilities are given by

$$p_t^{ij}\left(\boldsymbol{z}_t^{(r)};\boldsymbol{\beta}, u_r\right) = \begin{cases} \frac{\exp\left(\left(\boldsymbol{z}_t^{(r)}\right)^\top \boldsymbol{\beta}_{ij} + U_r\right)}{1 + \sum_{j' \in \mathcal{J}_i} \exp\left(\left(\boldsymbol{z}_t^{(r)}\right)^\top \boldsymbol{\beta}_{ij'} + U_r\right)} & j \neq 0\\ \frac{1}{1 + \sum_{j' \in \mathcal{J}_i} \exp\left(\left(\boldsymbol{z}_t^{(r)}\right)^\top \boldsymbol{\beta}_{ij'} + U_r\right)} & j = 0, \end{cases}$$

Motivation: If very high temperatures are observed at time t, the probability of moving to state 1 should increase. We include a spatial effect to account for regional disparities by including an ICAR model:

$$\boldsymbol{U} = (U_1, U_2, \dots, U_R) \sim \mathcal{N}\left(\boldsymbol{0}, [\tau \cdot (\boldsymbol{D} - \boldsymbol{W})]^{-1}\right),$$

Calibration: Expectation-Maximization algorithm.

Case study on 21 French NUTS 2 regions

State-Specific Poisson Model Specifications

State 1: Models impact of heatwave-related shocks:

$$\begin{split} \log \mathbb{E} \left[D_{x,t}^{(r)} \mid S_t^{(r)} = 1 \right] &= \log \hat{b}_{x,t}^{(r)} + \sum_{a \in \mathcal{X}_{\text{red}}} \left(\alpha_{1,1}^{(a)} \mathsf{TA}_t^{(r)} + \alpha_{1,2}^{(a)} \mathsf{TA}_{t-1}^{(r)} + \alpha_{1,3}^{(a)} \mathsf{TA}_{t-2}^{(r)} + \alpha_{1,4}^{(a)} \mathsf{TA}_{t-1}^{(r)} + \alpha_{1,5}^{(a)} \mathsf{HI}_{t-1}^{(r)} + \alpha_{1,6}^{(a)} \mathsf{HI}_{t-2}^{(r)} \right) \mathbbm{1} \left\{ x \subset a \right\}. \end{split}$$

State 2: Models mortality shocks from influenza activity and COVID-19 hospitalizations:

$$\begin{split} \log \mathbb{E} \left[D_{x,t}^{(r)} \mid S_t^{(r)} = 2 \right] &= \log \hat{b}_{x,t}^{(r)} + \sum_{a \in \mathcal{X}_{\text{red}}} \left(\alpha_{2,1}^{(a)} \mathsf{IA}_{t,t-1}^{(r)} + \alpha_{2,2}^{(a)} \mathsf{IA}_{t-2,t-3}^{(r)} + \alpha_{2,3}^{(a)} \mathsf{CI}_{t,t-1}^{(r)} + \alpha_{2,4}^{(a)} \mathsf{CI}_{t-2,t-3}^{(r)} + \alpha_{2,5}^{(a)} \mathsf{HA}_{t,t-1}^{(r)} + \alpha_{2,6}^{(a)} \mathsf{HA}_{t-2,t-3}^{(r)} \right) \mathbbm{1} \left\{ x \subset a \right\}. \end{split}$$

Modelling regime transition probabilities

Assumptions: Transition probabilities are independent of age x and regional variations r are accounted for using a spatial effect U_r modelled by an ICAR process.

Transition Probabilities:

$$\begin{split} & \text{logit } p_t^{01} \left(\boldsymbol{z}_t^{(r)}; \ \boldsymbol{\beta}_0, u_r \right) = \boldsymbol{\beta}_{01,0} + \boldsymbol{\beta}_{01,1} \mathsf{HI}_t + U_r \\ & \text{logit } p_t^{02} \left(\boldsymbol{z}_t^{(r)}; \ \boldsymbol{\beta}_0, u_r \right) = \boldsymbol{\beta}_{02,0} + \boldsymbol{\beta}_{02,1} \mathsf{IA}_{t,t-1}^{(r)} + \boldsymbol{\beta}_{02,2} \mathsf{HA}_{t,t-1}^{(r)} + U_r \\ & \text{logit } p_t^{11} \left(\boldsymbol{z}_t^{(r)}; \ \boldsymbol{\beta}_1, u_r \right) = \boldsymbol{\beta}_{11,0} + \boldsymbol{\beta}_{11,1} \mathsf{HI}_t + \boldsymbol{\beta}_{11,2} \mathsf{HI}_{t-1} + \boldsymbol{\beta}_{11,3} \mathsf{HI}_{t-2} + U_r \\ & \text{logit } p_t^{22} \left(\boldsymbol{z}_t^{(r)}; \ \boldsymbol{\beta}_2, u_r \right) = \boldsymbol{\beta}_{22,0} + \boldsymbol{\beta}_{22,1} \mathsf{IA}_{t,t-1}^{(r)} + \boldsymbol{\beta}_{22,2} \mathsf{IA}_{t-2,t-3}^{(r)} \\ & + \boldsymbol{\beta}_{22,3} \mathsf{HA}_{t,t-1}^{(r)} + \boldsymbol{\beta}_{22,4} \mathsf{HA}_{t-2,t-3}^{(r)} + U_r \end{split}$$

Features: Short-term features for transitions to shock states; mid-term lagged features for state persistence: HI (hot index), IA (influenza anomaly), HA (hospital admissions).

Results: Parameter estimates in both states



Age 🔶 65-74 🔶 75-84 🔶 85+

Results: Parameter estimates in transition probabilities



Uncertainty in in-sample predictions



 $15 \, / \, 17$

Out-of-sample backtesting - Calibration: 2013 to mid 2022





Conclusion

Main results

- We proposed a three-state regime-switching weekly mortality model incorportaing both the impact of temperature and epidemic shocks on mortality.
- We quantified the uncertainty in in- and out-of-sample predictions, and examine how different temperature and influenza scenarios influence mortality.
- Highest impact for the oldest age group and presence of harvesting effects.

Limitations and extensions

- Public Health Interventions: Adaptation measures like early-warning systems, cooling centers, and improved healthcare access can mitigate effects.
- Future Research: Extend analysis to morbidity data for better preparedness of hospitals and public healthcare systems.

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