

# Fully Transparent Machine Learning: Exact Factor Table Representation of GBMs

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## Research Problem

- ▶ In the insurance industry, we demand accurate predictive models, but they often need to be transparent and interpretable to be useful in production.

**Transparency:** The underlying formula for the model is fully shared.

**Interpretability:** The model's calculations are reasonably understandable - stakeholders can see how it works and what factors drive predictions.

- ▶ Stakeholders and regulators need to know exactly how a model works before endorsing its use.

## Existing Tradeoffs

- ▶ GLMs: Transparent (standard for regulatory filings) but limited predictive power without extensive feature engineering and regularization.
- ▶ GBMs: High accuracy but historically a 'black box', posing challenges for regulatory approval and internal buy-in.
- ▶ Post-hoc methods: Provide local explanations without full model transparency.
- ▶ Distillation: Approximations with some information loss.
- ▶ EBMs: Transparent, but limited interaction search and does not promote sparsity.

## A Black Box into a Glass Box:

**The Challenge:** How can we unlock the power of gradient boosting while maintaining complete transparency?

### **Making it work:**

- ▶ Start with a high-performance GBM like LightGBM
- ▶ Create methods for converting and consolidating trees into factor tables, exactly
- ▶ Use novel regularization parameters for sparsity and interpretability
- ▶ Multi-objective tuning to balance performance and interpretability

### **Result:**

- ▶ Factor tables! A GBM that is now transparent and interpretable
- ▶ Predictions match exactly with underlying LightGBM model
- ▶ Performance parity with state-of-the-art methods

## How It Works: Tree to Factor Table

### Simple Example:

Tree:

Age

|-- <=30: 0.2

|-- >30

    |-- Sedan: 0.5

    |-- Other

        |-- SUV: -0.1

        |-- Truck: 0.3

Factor Table:

Age	Vehicle	Factor
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<=30	*	0.2
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>30	Sedan	0.5
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>30	SUV	-0.1
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>30	Truck	0.3
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**Key Point:** Every tree can be converted to factor tables with *zero* information loss

**Note:** Every tree can be decomposed into individual node contributions, enabling us to separate main effects from interactions during consolidation

## Consolidating for Interpretability

A GBM with 100+ trees would create 100+ factor tables - too many to be interpretable. We consolidate by decomposing each tree node into mini factor tables, then combining them strategically.

### Two Consolidation Strategies:

- ▶ **ANOVA-style:** Separate main effects from interactions (better interpretability)
- ▶ **Full consolidation:** Combine any tables where features are subsets (more compact)

Both preserve exact prediction equivalence with the underlying GBM!

**Outcome:** A compact set of interpretable factor tables (often 1-10) instead of 100+ trees

## From GBM Ensemble to Consolidated Tables

- 1. GBM Ensemble** -> (e.g., 100s of decision trees)
- 2. Individual Tree Tables** -> Each tree is an exact factor table.
- 3. Consolidated Factor Tables** -> Equivalent to original GBM!

## Complexity Control Methods

**Research Challenge:** Even with consolidation, a standard GBM can produce excessive numbers of factor tables, ruining interpretability

## Complexity Control Methods

**Research Challenge:** Even with consolidation, a standard GBM can still produce too many factor tables

**Our Solution:** New regularization penalties that discourage the model from using new feature combinations

**How it works:**

- ▶ Penalize splits that introduce feature combinations not seen before in the ensemble
- ▶ Penalize splits that add new feature combinations within individual trees
- ▶ Automatically promotes sparsity and interpretability

**Outcome:** Models automatically select only a small number of features and interactions



## Tuning GBMs for Performance and Interpretability

**Optimization Problem:**  $\min_{\theta \in \Theta} \{-CV(\theta), C(\theta)\}$

**Two Objective Functions:**

- ▶ **Performance:** Cross-validation accuracy
- ▶ **Complexity:** Median number of consolidated factor tables

**Outcome:** A Pareto frontier of optimal hyperparameters. Choose between maximum performance or more interpretability.

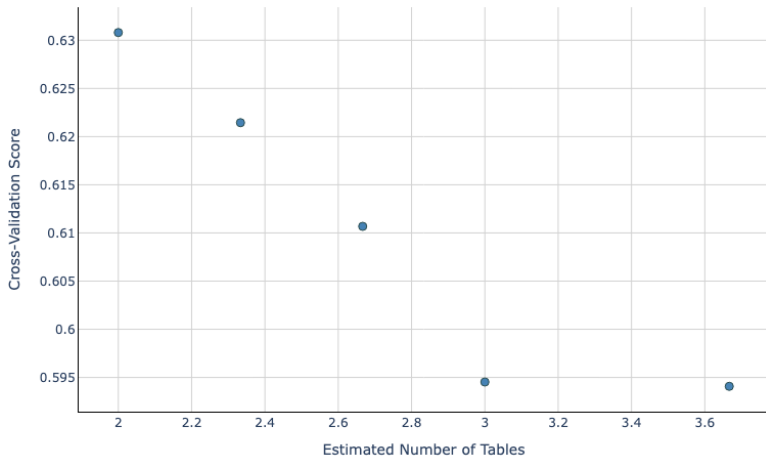


Figure 1: Pareto Frontier

## Case Study 1: Recidivism Prediction

**Dataset:** Broward County recidivism data (ProPublica)

**Task:** Binary classification (2-year recidivism)

**Benchmark:** Proprietary COMPAS algorithm

**Key Result:** 123-tree LightGBM ensemble converted to 2 factor tables (zero information loss)

**Experimental Results:**

Method	AUC
COMPAS	0.696
Random Forest	0.676
EBM	0.728
<b>Our Method</b>	<b>0.726</b>

**Finding:** Competitive performance with complete model transparency

## Recidivism: The Complete Model

**Intercept:** -0.185

**Table 1: Prior Charges × Sex** (showing first 6 rows)

Prior Charges	Sex	Factor
0	Female	-1.100
<=1.5	Female	-0.496
<=2.5	Female	0.044
0	Male	-0.775
<=1.5	Male	-0.321
<=2.5	Male	0.097

*22 total rows*

## Recidivism: Age Effects

**Table 2: Age  $\times$  Sex** (showing first 6 rows)

Sex	Age	Factor
Female	$\leq 20.5$	1.417
Female	$\leq 21.5$	1.082
Female	$\leq 22.5$	0.857
Male	$\leq 20.5$	1.470
Male	$\leq 21.5$	1.136
Male	$\leq 22.5$	0.911

*26 total rows*

**Manual Prediction:** Look up 2 numbers, add them to the intercept, then apply the logistic function

## Case Study 2: Insurance Claim Frequency

**Dataset:** French Motor MTPL (678,013 policies)

**Task:** Poisson regression for claim frequency

**Performance Comparison:**

Method	Poisson Deviance
Random Forest (100 trees)	0.690
EBM	0.599
<b>Our Method (Interpretable)</b>	<b>0.593</b>
<b>Our Method (Best Perf.)</b>	<b>0.583</b>

## Insurance Factor Tables: Structure

### Model Configuration (Interpretable Variant):

► **Baseline:** -2.302

Component	Feature Set	Structure	Parameters
Table 1	Vehicle Age $\times$ Gas Type	VehAge, VehGas, Factor	50
Table 2	Driver Age	DrivAge, Factor	25
Table 3	Bonus-Malus $\times$ Vehicle Age	BonusMalus, VehAge, Factor	400+

## Key Advantages & Applications

### What This Enables:

- ▶ **Regulatory Compliance:** Factor tables ready for filing, familiar to regulators
- ▶ **Full Transparency:** Understand exactly how predictions are made while retaining GBM performance
- ▶ **Plug-and-Play:** Integrates directly into existing rating engines and actuarial software

### Perfect For:

- ▶ **Insurance Pricing & High-Stakes Finance:** Where regulatory approval is required
- ▶ **Healthcare & Criminal Justice:** Where algorithmic transparency is mandatory
- ▶ **High-Dimensional Problems:** Built-in feature selection for true sparsity

**Bottom Line:** Deploy state-of-the-art ML where transparency and interpretability is required



Questions?

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**Link** to pre-print of full paper